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VIDEO SIGNAL INTERPOLATION USING

MOTION ESTIMATION

Technical Field

This invention relates generally to interpolation of video signals and, in particular, to interpolation of video signals using motion estimation.

Background of the Invention

In various schemes for interframe coding of television pictures, it is advantageous to drop or discard 10 information from some fields or frames by subsampling the video signal at a fraction of the normal rate. done in order to prevent overflow of the data rate equalization buffers disposed in the transmission path, or simply to increase the efficiency of the encoder by removing redundant information. At the receiver, a 15 reconstructed version of the information contained in the nontransmitted fields or frames is obtained by interpolation, using information derived from the transmitted fields. Simple linear interpolation may be performed by averaging the intensity information defining 20 picture elements (pels) in the preceding and succeeding transmitted fields at fixed locations which are most closely related to the location of the picture element that is presently being processed. In certain instances, the interpolation may be performed adaptively, such that the 25 pels used to form certain reconstructed or estimated intensity values are selected from two or more groups having different spatial patterns or such that the information obtained from pels in the same relative spatial

positions in the prior and succeeding frames are combined

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in two or more different ways.

1 101 65.00CK 1 102 78.00CK

Netravali-Robbins 18-5

Both the aforementioned fixed and adaptive interpolative techniques are adequate to estimate and thus recover the nontransmitted picture information when little motion occurs in the picture. However, where objects, particularly those with a high degree of detail, are moving quickly in the field of view of the television camera, dropping fields or frames in the encoder and subsequent reconstruction using interpolation often causes blurring and other objectionable visual distortion. Accordingly, the broad object of the present invention is to enable improved estimation of intensity information defining elements in a picture using interpolative techniques on information derived from preceding and succeeding versions of the picture. A specific object is to improve the reconstruction of a nontransmitted field of a video signal using information from previous and succeeding fields, so as to eliminate annoying distortion and flicker.

The foregoing and additional objects are achieved in accordance with the instant invention by estimating the 20 intensity information defining elements in a picture (which may be a nontransmitted field or other portion of a video signal) based on information defining pels in related locations in preceding and succeeding versions of the same picture, using an interpolative technique which takes 2 5 account of the motion of objects in the picture to identify the related locations. More specifically, apparatus for estimating the desired intensity information includes a recursive motion estimator for providing an indication of the displacement of objects between the two available 30 versions of the picture which precede and follow the picture being processed and an interpolator arranged to utilize information defining pels at the appropriate displaced locations within the preceding and succeeding versions to form an estimate of the desired information. 35

In a preferred embodiment, an adaptive technique is used to

switch between displacement compensated interpolation and

Summary of the Invention

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fixed position interpolation, depending upon which produces the best results in the local picture area.

Brief Description of the Drawing

The features and advantages of the present invention will be more readily understood from the following detailed description when read in light of the accompanying drawing in which:

FIG. 1 is a representation of a series of video fields indicating the locations of picture elements used to form estimates of nontransmitted information in accordance with prior art fixed position interpolative techniques;

FIG. 2 is a similar representation of a series of video fields indicating the displaced pel locations in the preceding and succeeding frames used to estimate the information defining the presently processed picture element in accordance with the present invention;

FIG. 3 is a block diagram of apparatus arranged in accordance with the present invention for reconstructing information defining pels in a nontransmitted field of a video signal by processing information derived from preceding and succeeding versions of the picture using motion compensated interpolation; and

FIG. 4 illustrates spatial interpolation performed in interpolators 305 and 306 of FIG. 3. Detailed Description

One embodiment of the present invention, which permits reconstruction of a nontransmitted field of a video signal using information derived from transmitted preceding and succeeding fields, will be better appreciated by consideration of FIG. 1, which illustrates the time-space relationship of a sequence of television fields 101-105, each of which can be thought of as a 'snap-shot' or version of a moving picture which is electrically represented by the video signal being processed. Vector 106 indicates the

3 5 direction of time progression, such that field 101 occurs first and is followed in succession by fields 102...105. The time interval between successive fields is given by \(\tau_i \)

Netravali-Robbins 18-5



and is generally $\frac{1}{60}$ th of a second for conventional video Each field is obtained by scanning the picture being processed along a plurality of generally parallel scan lines, such as lines 110-115 in field 104. In order to conserve bandwidth, a conventional video signal generator is arranged to interlace the scan lines in each pair of successive fields. Thus, each line in an odd numbered field is offset from the corresponding line in the previous (and next) field by half the distance between adjacent lines. The NTSC standard requires a total of 525 scan lines for each pair of fields, which together constitute a frame.

Assuming that even numbered fields 102 and 104 shown in FIG. 1 were encoded for transmission using conventional subsampling and/or other compression techniques, and that these fields have been reconstructed at the receiver, it is known to reconstruct information defining pels in the nontransmitted odd fields 101, 103 and 105 by interpolation. As used herein, ''information'' can include intensity information describing the different color components (red, green and blue) of a composite signal or combinations thereof, such as luminance and chrominance information. Using ''intensity'' generally in the foregoing sense, to reconstruct or estimate the 25 intensity value I_{E} for a pel E on line 120 in field 103, it is typical to use intensity information from spatially corresponding locations in the transmitted preceding field 102 and the succeeding field 104. Since the scan lines in the even and odd fields are offset from one another, the intensity values in fields 102 and 104 at the precisely corresponding spatial location of pel E are not However, intensity values for pels on the scan available. lines just above and just below line 120 may be used. Thus, the intensity of pel E can be estimated as the and B in field 104 and pels C and D in field 102. As

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35 average $(I_A + I_B + I_C + I_D)/4$ of the intensities of pels A stated previously, this fixed position interpolation

procedure for reconstructing the nontransmitted fields is generally satisfactory, as long as objects in the picture are relatively still. However, in areas of the picture which are changing quickly, the reconstructed version generally appears noticeably blurred and distorted. This significantly reduces the utility of the subsampling, and limits the number of fields which may be dropped at the transmitter and successfully recovered at the receiver.

The motion compensated interpolation strategy of 10 the present invention, again considered in the context of reconstruction of a nontransmitted field using information from preceding and succeeding fields which are available at the receiver, can be explained by reference to FIG. 2, which again depicts the time-space relationship of a series of fields 201...205. For the sake of generality, it is assumed that K_1 field intervals τ including field 202 intervene between the previous transmitted field 201 and the present (nontransmitted) field 203, and that K_2 field intervals including field 204 intervene between field 203 20 and the succeeding transmitted field 205. K_1 and K_2 are, of course, positive integers. In order to obtain an estimate of the intensity value of each pel in nontransmitted field 203, it is first necessary to form an estimate D of the displacement per field interval of moving 25 objects in the picture between the transmitted fields 201 and 205 which bracket field 203. The underscore used for the variable D and hereinbelow indicates a vector having components in the horizontal (picture element to element) and vertical (scan line to line) directions. It is assumed 30 here that objects in the pictures being processed are in simple uniform translation during this period. Second, the intensity values at the displaced locations in the previous 37,38 and succeeding transmitted fields which ''correspond'' to the location in the field being processed are determined. used here, the ''correspondence'' indicates locations at which the same object is expected to be in different versions of the picture. Finally, the desired intensity

10-3

value is derived using interpolation or averaging.

processed pel 250 in field 203 is denoted by vector $\underline{\mathbf{x}}$, then the location of the 'corresponding' displaced pel 260 in field 201 is given by $\underline{\mathbf{x}} - \mathbf{K}_1 \underline{\mathbf{D}}$ and the intensity at that location is written $\mathbf{I}(\underline{\mathbf{x}} - \mathbf{K}_1 \underline{\mathbf{D}}, \mathbf{t} - \mathbf{K}_1 \boldsymbol{\tau})$. Similarly, the location in field 205 of pel 270 which contains the object depicted in pel 250 is given by $\underline{\mathbf{x}} + \mathbf{K}_2 \underline{\mathbf{D}}$, and the intensity at this location is $\mathbf{I}(\underline{\mathbf{x}} + \mathbf{K}_2 \underline{\mathbf{D}}, \mathbf{t} + \mathbf{K}_2 \boldsymbol{\tau})$. In this example, the desired intensity value $\mathbf{I}(\underline{\mathbf{x}}, \mathbf{t})$ for pel 250 is determined by interpolation, such that:

 $\int 0070 \qquad I(\underline{x},t) = \frac{1}{K_1 + K_2} [K_1 I(\underline{x} + K_2 D, t + K_2 \tau) + K_2 I(\underline{x} - K_1 D, t - K_1 \tau)].(1)$

From Equation (1), it is seen that interpolation produces a weighted average of intensity values from fields displaced timewise from the present field 203. If $K_1 > K_2$, field 203 is closer in time to field 205, and more weight is given to the intensity value information derived from the latter.

On the other hand, if $K_2 > K_1$, more weight is given to the intensity value $I(\underline{x}-K_1\underline{D},t-K_1t)$ from field 201. When alternate field subsampling is used, $K_1 = K_2 = 1$ and the interpolated intensity value $I(\underline{x},t)$ is a simple average of $I(\underline{x}+\underline{D},t+\tau)$ and $I(\underline{x}-\underline{D},t-\tau)$.

with respect to formation of the displacement estimate <u>D</u>, it must be understood that the magnitude and direction of this vector varies, in a real television scene, as a function of both time and space. Accordingly, the intensity values at pels 250, 260 and 270 are not likely to be exactly equal. For convenience, a displaced frame difference DFD(<u>x</u>,<u>D</u>) which is a function both of location <u>x</u> and displacement estimate <u>D</u>, is defined such that:

 $123209631^{3}96 \text{ DFD}(\underline{x},\underline{D}) = I(\underline{x}+K_{2}\underline{D},t+K_{2}\tau) - I(\underline{x}-K_{1}\underline{D},t-K_{1}\tau) \text{ In}(2) \text{ PS}$

P To estimate the value of \underline{D} , it is advantageous to minimize

Netravali-Robbins 18-5



 $\left| DFD(\underline{x},\underline{D}) \right|^2 \text{ recursively for every pel position } \underline{x} \text{ within the moving area of the picture. This is analogous to minimizing mean square error (since DFD is an error indicator) and can be done using a steepest descent$

$$\underline{\underline{D}}^{i+1} = \underline{\underline{D}}^{i} - \frac{\varepsilon}{2} \nabla_{\underline{\underline{D}}} [DFD(\underline{\underline{x}},\underline{\underline{D}})]^{2} \qquad \underline{\underline{D}} = \underline{\underline{D}}^{i}$$
(3)

technique. Thus:

$$= \underline{\underline{D}}^{i} - \varepsilon D F D (\underline{\underline{x}}, \underline{\underline{D}}^{i}) \nabla_{\underline{\underline{D}}} [D F D \underline{\underline{x}}, \underline{\underline{D}},] \qquad \underline{\underline{D}} = \underline{\underline{D}}^{i}$$
 (4)

$$10 = \underline{D}^{i} - \varepsilon DFD(\underline{x}, \underline{D}^{i})$$

$$K_{2} \cdot ED(\underline{x} + K_{2}\underline{D}^{i}, t + K_{2}\tau) + K_{1} \cdot ED(\underline{x} - K_{1}\underline{D}^{i}, t - K_{1}\tau)$$

$$K_{2} \cdot LD(\underline{x} + K_{2}\underline{D}^{i}, t + K_{2}\tau) + K_{1} \cdot LD(\underline{x} - K_{1}\underline{D}^{i}, t - K_{1}\tau)$$

$$(5)$$

In Equations (3), (5), Di is a present estimate of the displacement vector D and Di+1 is the next estimate, with the recursion being performed for each picture element i = 1, 2, The symbol VD indicates a gradient or spatial rate of change calculated assuming a displacement vector D. In the horizontal picture direction, the rate of change can be determined from 'element differences'

20 ED(x,t), i.e., the intensity differences between successive picture elements on a single scan line evaluated at the location x in the field occurring at time t. The rate of change in the vertical direction is similarly determined from 'line differences' LD(x,t) which are intensity

differences between pels in the same horizontal position on difference scan lines, again evaluated at the location \underline{x} in the field occurring at time t. Scaling factor ε is used in

Equations (3) through (5) to limit large changes; ε is always less than one and is preferably in the range of .1

to .001. Further details concerning the recursive displacement estimation technique described herein may be obtained from applicants' U.S. Patent No. 4,218,703 issued August 19, 1980.

Netravali-Robbins 18-5

The displacement recursion specified in Equations $(3)^{-1}_{24}(5)$ is carried out only in the moving areas of the picture. These areas can be identified when the frame difference, denoted FD(x), has a magnitude which exceeds a preselected threshold value. The frame difference is defined as the intensity difference, at pel location \underline{x} , as measured in the previous and succeeding frames. Thus:

 $T_{1}^{2}, 30\%, 3)\% FD(x) = I(x, t+K_{2}\tau) - I(x, t-K_{1}\tau)$. For (6)

While it is possible to implement the interpolation specified in Eq. (1) and the displacement estimation specified in Eq. (5), several simplifications can significantly reduce circuit complexity. For example, the displacement estimates calculated in Equations $(3)^{\frac{1}{2}}(5)$ require several multiplications for each iteration. This can be reduced by considering only the sign of the two

 $\underline{D}^{i+1} = \underline{D}^{i} - \varepsilon SIGN(DFD(\underline{x},\underline{D}^{i})) \cdot SIGN \left\{ \nabla_{\underline{D}} [DFD(\underline{x},\underline{D})] \mid \underline{D} = \underline{D}^{i} \right\}$ (7)

where the SIGN function is defined by

SIGN(Z) = $\begin{cases} 0, & \text{if } |Z| < T \\ \frac{Z}{|Z|}, & \text{otherwise} \end{cases}$ (8)

> where T is a small non-negative number. simplification results by use of spatial gradients in only one transmitted field rather than in both the previous and succeeding fields. This modification simplifies Eq. (5) as 25 follows:

 $\int_{0}^{\infty} 092 \quad \underline{\mathbf{p}}^{i+1} = \underline{\mathbf{p}}^{i} - \varepsilon \mathbf{D} \mathbf{F} \mathbf{D} (\underline{\mathbf{x}}, \underline{\mathbf{p}}^{i})$ $\mathbb{K}_{2} \text{ (e1. diff. at } \underline{\mathbf{x}} + \mathbb{K}_{2} \underline{\mathbf{p}}^{i})$ $\mathbb{K}_{2} \text{ (line diff. at } \underline{\mathbf{x}} + \mathbb{K}_{2} \underline{\mathbf{p}}^{i})$

Yet another modification is quite desirable in order to simplify the hardware implementation described below. In this modification, the present displacement estimate \underline{D}^i is used to compute the intensity value $I(\underline{x},t)$ in Equation (1), instead of the next displacement estimate \underline{D}^{i+1} which more precisely belongs in the intensity value equation. This modification permits the same set of /intensity values to be used for both the computation of the displacement estimate and the interpolation of the missing field intensity values.

While it is not essential in practicing the present invention, an adaptive technique is preferred in the interpolative recovery of nontransmitted fields, such that ''displacement compensated interpolation'' in accordance with the present invention is used instead of conventional ''fixed position'' interpolation only when it produces better Switching between the two types of interpolation is accomplished under the control of adaption logic which compares the magnitude of the frame difference $FD(\underline{x})$ and the displaced frame difference DFD (x, D) to determine which is smaller. If $DFD(\underline{x},\underline{D}) < FD(\underline{x})$, displacement compensation is better, and Equation (1) is used in the interpolation. If the frame difference is smaller, the interpolated intensity I(x,t) value is computed conventionally using the same location in the previous and succeeding transmitted fields, as follows:

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$$I(\underline{x},t) = \frac{1}{K_1+K_2} [K_1I(\underline{x},t+K_2\tau)+K_2I(\underline{x},t-K_1\tau)]$$
 (10)

A block diagram of apparatus arranged to estimate the intensity values of elements in a picture (such as a nontransmitted field of a video signal) using either motion compensated interpolation or fixed positon interpolation is shown in FIG. 3. Intensity information representing the versions of the picture which precede and follow the picture being estimated, obtained, for example, by decoding transmitted information representing fields such as

fields 201 and 205 of FIG. 2, is entered in random access memories 301 and 302, respectively, via lines 370 and 371. The information is stored within these memories such that intensity values for specific addressed groups of pels can be recovered. For this purpose, each of the memories 301 and 302 includes address inputs 303 and 304, respectively, which receive the integer portions of $K_1\underline{D}^1$ and $K_2\underline{D}^1$, which indicate the position in fields 201 and 205 of the same object which is depicted in the pel for which an intensity is being estimated. The products of the displacement estimate \underline{D}_{i} stored in a delay element 310 and the factors K_1 and K_2 , respectively, are formed by multipliers 331 and The intensity values for several (usually four) picture elements nearest the addressed displaced locations are output from memories 301 and 302 and applied to a pair of interpolators 305 and 306 via lines 307 and 308, respectively.

Interpolators 305 and 306 are each arranged to use the intensity values output from memories 301 and 302 and the fractional part of the displacement estimates $K_1 \underline{D}^1$ and $K_2\underline{D}^1$ received on lines 365 and 366, respectively, to compute the intensity values $I(\underline{x}-K_1\underline{D}^i, t-K_1\tau)$ and $I(\underline{x}+K_2\underline{D}^1,t+K_2\tau)$. This procedure, which is essentially intrafield interpolation ''in space'', is used because the displacement estimates usually do not indicate a single pel location, but rather a position between pels; a second interpolation step described below, which is interfield interpolation ''in time'', actually calculates the nontransmitted intensity values being reconstructed. To determine the intensity at the in-between locations, the fractional portions of the displacement estimates are resolved into horizontal and vertical components. intensity values for pels which bracket the specified location both vertically and horizontally are chosen, and the in-between values computed by linear interpolation. An example of this interpolation is given below. resulting displaced interpolated intensity values are

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output on lines 309 and 310.

In order to determine the desired intensity value $I(\underline{x},t)$ in accordance with Eq. (1), the intensity values at the displaced locations in fields 201 and 205 are timewise interpolated. For this purpose the outputs on lines 309

- 5 interpolated. For this purpose the outputs on lines 309 and 310 are weighted by factors K_2 and K_1 in
- multipliers 311 and 312, and a sum of the weighted values 30 is formed in adder 313. The sum is then scaled by $(\frac{1}{K_1} + \frac{1}{K_2})$ in
- multiplier 314. From the foregoing, it is seen that more emphasis is given to the intensity value of the field closest in time to field 203, and less emphasis is given the more remote field. The output of multiplier 314 on line 316 which represents the motion compensated interpolated intensity value specified in Eq. (1), is
- 15 applied to one input of switch 315.

Field memories 301 and 302 are also arranged to make available on lines 317 and 318, respectively, the 317699 intensity values $I(\underline{x},t-K_1\tau)$ and $I(\underline{x},t+K_2\tau)$ for pels in the transmitted fields which are in the same spatial position

- as the pel presently being processed. To obtain an estimate of $I(\underline{x},t)$ by fixed position interpolation, the intensity values are again likewise weighted by forming the sum of K_1 times the intensity in field 205 and K_2 times the intensity in field 205 and K_2 times the intensity in field 201, and by dividing the sum by $(\overline{K_1} + \overline{K_2})$.
 - This is accomplished by applying the signals on lines 317 and 318 to inputs of adder 319 via multipliers 341 and 342 with coefficients K_1 and K_2 , respectively. The output of adder 319 is applied, in turn, to a multiplier circuit 330 via line 320, where the sum is multiplied by the factor
- 30 30 $(\frac{1}{K_1^{\frac{1}{4}K_2}}]$. The resulting value represents the intensity estimate specified in Eq. (10), which is applied to a second input of switch 315.

As mentioned previously, the position of switch 315 is adaptively controlled so as to select either the motion compensated interpolated value on line 316 or the fixed position interpolated value output from

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multiplier 330, depending upon the relative magnitudes of the frame difference FD(x) and the displaced frame difference DFD(\underline{x} , \underline{D}). The magnitude of FD(\underline{x}) is obtained by $\mathcal{S}(\mathcal{A}_{\mathcal{A}},\mathcal{A}_{\mathcal{A}})$ forming the differences between $I(\underline{x},t-K_{1}\tau)$ and $I(\underline{x},t+K_{2}\tau)$ in a subtractor 325 and applying the subtractor output on line 326 to a magnitude circuit 327, which disregards sign information. The magnitude of $DFD(\underline{x},\underline{D})$ is obtained by forming the difference between $I(\underline{x}-\underline{D},t-K_1\tau)$ and $I\left(\underline{x}+\underline{D},t+K_2\tau\right)$ in a subtractor circuit 322 and applying the difference to a magnitude circuit 324. $|FD(\underline{x})|$ and $|DFD(\underline{x},\underline{D})|$ are compared in a subtractor circuit 321, and a sign bit output is used to control the position of switch 315. Thus, when the frame difference $FD(\underline{x})$ is smaller than the displaced frame difference DFD (x, D) in the local area of the picture being processed, switch 315 is arranged to couple the output of multiplier 330, representing a fixed position interpolation, through the switch to output line 390. On the other hand, if the displaced frame difference is smaller, switch 315 is positioned to couple the output of multiplier 314 representing motion compensated interpolation through to output line 390. The estimated intensity value available on line 390 can be accumulated in a memory, not shown, and the entire process described above repeated for the remaining picture elements in the field. When the entire field has been reconstructed, the contents of the memory may be applied to a display medium in the appropriate time position with respect to the transmitted fields, by multiplexing apparatus, not shown.

30 As mentioned previously, the displacement estimate \underline{D}^{i} is stored in a one pel delay element 350, and recursively updated for each pel. To implement the updating, the output of delay element 350 is applied to one input of an adder 351, which receives an update or correction term as its second input on line 352. The 3 5 output of adder 351 is the next displacement estimate \underline{D}^{i+1} , 30 which is, in turn, coupled back to the input of delay

element 350 to yield the next estimate. Displacement

estimates are updated in accordance with Eq. (5) only in

the moving area of the picture, and a ''zero'' update is used otherwise. For this purpose, the position of switch 353 is controlled by the output of comparator 354, the latter serving to determine whether or not $|FD(\underline{x})|$ output from magnitude circuit 327 exceeds a predetermined threshold value T. If the threshold is not exceeded, the picture area being processed is not moving. In this circumstance,

- switch 353 is positioned as shown in FIG. 3 so as to couple 37% a ''0' update to adder 351. On the other hand, if the output of comparator 354 indicates that the frame difference does exceed T, a moving area in the picture has been detected, switch 353 is repositioned, and the
 - displacement correction term (from multiplier 360) is coupled through switch 353 to adder 351. The magnitude of the update term is calculated in accordance with Eq. (,5) by multiplying second outputs of interpolators 305 and 306 on lines 343 and 344, which represent the displaced element
 - and line differences in the previous and succeeding fields, by K_1 and K_2 , respectively, in multipliers 368 and 369 and forming the sum of these products in adder 367. The sum is multiplied, in turn, by the displaced frame difference output from subtractor 322, and this product is scaled by
 - the factor ϵ in multiplier 360 before being applied to the 2 5 second input of switch 353. The manner in which the element and line differences are formed in interpolators 305 and 306 is explained below, in connection with FIG. 4.
 - 30 After each nontransmitted field has been reconstructed by interpolation in accordance with the present invention, it is necessary to update multiplier coefficients K_1 and K_2 (when either or both exceeds one) before the next nontransmitted field is processed. For example, in FIG. 2, assuming that fields 201 and 205 are 3 5 transmitted and fields 202, 203, and 204 are not, then $\mathbb{K}_1 = \mathbb{K}_2 = 2$ when field 203 is being processed.



Netravali-Robbins 18-5



field 202 is processed, $K_1 = 1$ and $K_2 = 3$. On the other hand, when field 204 is processed, $K_1 = 3$ and $K_2 = 1$.

Updating of the coefficients K_1 and K_2 is easily carried out by storing their values in random access memories and by reading out appropriate coefficients under control of clocking circuitry not shown. Information needed to control clocking is derived from sync signals recovered

from the transmitted video fields.

An example of the spatial (intrafield) interpolation performed by interpolators 305 and 306 is illustrated graphically in FIG. 4. Locations P, Q, R and S represent four picture elements in a transmitted field of the signal being processed, and I_p , I_Q , I_R and I_S represent the intensity values at these locations. For convenience,

orthogonal coordinate system, and locations P, R and S are at coordinates (0,1), (1,1) and (1,0), respectively. If the displacement estimate Dⁱ shown by vector 401 has a horizontal component with a fractional portion x, 0 < x < 1 and a vertical component with a fractional portion y, 0 < y < 1, then the intensity value at location (x,0) is obtained by linear interpolation such that:

and the intensity value at location (x,1) is given by:

$$T = (27)^{25} = (1-x)^{1} + (x)^{1} + (x)^{1$$

The intensity at location (x,y) is also obtained by interpolation, such that:

$$I_{(x,y)} = (y)I_{(x,1)} + (1-y)I_{(x,0)}$$
 (13)





From Eq. (14), it is seen that I_(x,y) is a weighted sum of the intensities of the pels surrounding the location specified by the displacement estimate, with more weight being given to the closest pels. If desired, other interpolation weights can be used, or additional samples can be used to contribute to the weighting pattern.

The manner in which element and line differences

ED and LD are formed in interpolators 305 and 306 can also be illustrated by reference to FIG. 4. For example, if I_p , I_Q , I_R and I_S represent the intensity values for pels in field 201 at time t- $K_1\tau$ and at spatial locations which surround the location indicated by vector 401, then the element difference ED can be represented by $\frac{1}{2}[(I_R-I_p) + (I_S-I_Q)] \text{ and the line difference LD can be represented by } \frac{1}{2}[(I_R-I_p) + (I_S-I_Q)] \text{ . This calculation averages the differences, in both the horizontal (element) and vertical (line) directions, for pels surrounding the location for which an intensity value is being estimated. Alternatively, a simple calculation can use a single difference <math>(I_R-I_p)$ for ED and (I_Q-I_p) for LD. In either event, interpolators 305 and 306 may include suitable arithmetic circuits for forming the desired differences.

The timewise interpolation performed by multipliers 311, 312 and 314 can be further illustrated by several examples. If a series of fields is designated a, b, c, d... and if every third field a, d, h... is transmitted, then the intensity value I_b in field b is reconstructed using intensity values I_a and I_d from the transmitted fields a and d as follows:

$$30 \pi 33 167 \%$$
 $I_b = \frac{1}{3} (2 I_a + I_d) PS$

The intensity value I_c in field c is given by: P5

$$T_{3}^{2} = \frac{1}{3} (I_{a} + 2 I_{d})$$
.

As a second example, if every fourth field a, e, i... in

(16)

Netravali-Robbins 18-5

the series is transmitted, the reconstructed intensity value I_b in field b is given by: \$\int 5\$

$$T_{a}^{2}$$
 T_{b}^{2} T_{b}^{2} T_{b}^{2} T_{b}^{2} T_{a}^{2} T_{b}^{2} T_{b

Similarly, the reconstructed values for fields c and d are:

$$I_{c} = \frac{1}{4} \left(\frac{2}{R} I_{a} + \frac{2}{3} I_{e} \right), \text{ and } PS$$

$$I_{d} = \frac{1}{4} \left(I_{a} + \frac{3}{3} I_{e} \right).$$

Various modifications and adaptations may be made to the present invention by those skilled in the art. Accordingly, it is intended that the invention be limited only by the appended claims. For example, while the 10 preceding description primarily described reconstruction of nontransmitted interlaced fields, it should be clearly understood that the present invention enables efficient reconstruction of information defining a picture or a portion of a picture using similar information derived from 15 preceding and succeeding versions of the picture which

